Discussion of Inflation Expectations and Risk Premiums in an Arbitrage-Free Model of Nominal and Real Bond Yields

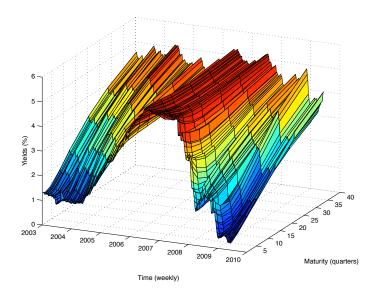
Jens H. E. Christensen Jose A. Lopez Glenn D. Rudebusch

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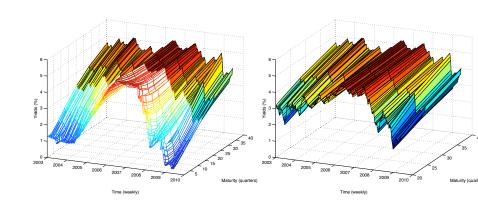
New York University

Federal Reserve Board: June 5, 2009

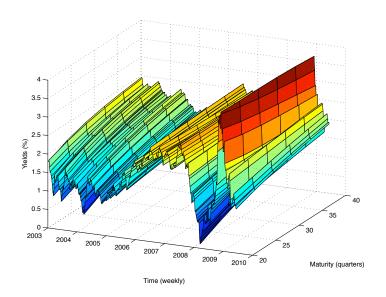
Nominal Yield Curves: 3 Factors?



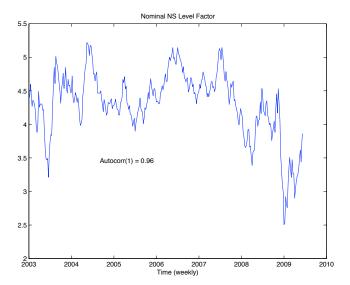
Long Nominal Curves: 2 Factors?



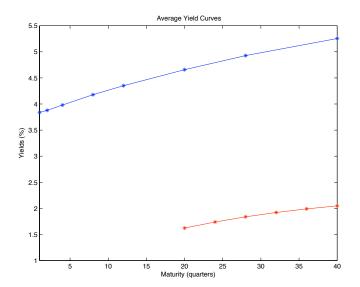
TIPS Curves: 2 Factors?



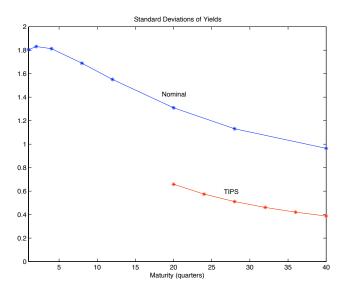
NS Nominal Level Factor: Unit Root?



Average Yield Curves



Standard Deviations of Yields



Equilibrium Inflation and Nominal Bond Pricing

► Nominal Pricing Kernel:

$$\log(m_{t+1}^{\$}) = \log(m_{t+1}) - p_{t+1}$$

Equilibrium Inflation and Nominal Bond Pricing

Nominal Pricing Kernel:

$$\log(m_{t+1}^{\$}) = \log(m_{t+1}) - p_{t+1}$$

► Endogenous Inflation: "Taylor Rule"

$$i_t = \bar{\tau} + \tau_x x_t + \tau_p p_t + s_t$$

Equilibrium Inflation Process and Nominal Bond Pricing

$$\overbrace{\bar{\tau} + \tau_{x}x_{t} + \tau_{p}\left(\bar{\pi} + \pi_{x}x_{t} + \pi_{s}s_{t}\right) + s_{t}}^{i_{t}} \\
= -\log E_{t}\left[\exp\left\{\overline{\log m_{t+1}} - \left(\bar{\pi} + \pi_{x}x_{t+1} + \pi_{s}s_{t+1}\right)\right\}\right] \\
= -\log E_{t}\left[\exp\left\{\overline{\log m_{t+1}} - \left(\bar{\pi} + \pi_{x}x_{t+1} + \pi_{s}s_{t+1}\right)\right\}\right]$$
guess for p_{t+1}

- ▶ How many factors will inflation have?
- ► How many factors will m^{\$} have?
- ▶ How many factors will nominal yields have?

Inflation Measurement



- ► Using DAPMs has to be a big advance over 19th century static index numbers!
- Statisticians that construct price indices and agents and policy makers that use them are not naive about the limitations of these measurements.
- Financial data, when filtered through a DAPM and a theory of endogenous monetary policy, will provide better inflation measurements.